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Counting in Base Five: The Derivation of Numerals in Bàtonu

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The fact that every speech community has its own number words that are used for counting, attests the claim that language permeates every aspect of human activities. The purpose of his paper is to examine the traditional system of counting in Bathnū. Using the arithmetical phenomenon of base five or a multiple of five manifested in Bathnū, the paper discusses the phonological processes of consonant deletion and vowel elision that characterize the derivation of numerals (cardinal and ordinal) in the language. The simplicity of the number base is considered an advantage, in learning the traditional system of counting in Bathnū.

1. Introduction

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Bàthnu is popularly known among the non-native speakers as Bàribá or Bàrùbá. It is a language of the Gur (Voltaic) subgroup of the Niger-Congo family (cf. Welmers (1952, 1973) and Sanusi (1983)).

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The language is spoken as a first language or mother-tongue in two adjacent countries: Nigeria and the Republic of Benin. Specifically, Bàtònū is spoken as a first language in the former Western Borgu Districts of Kwara State, which now constitute the newly created Baruteen Local Government Area of Kwara State, with its headquarters at Kósùbósù, Nigeria.

The traditional system of counting, in any given speech community, constitutes one of the sociolinguistic factors that make up the distinctness and individuality of that speech community as against other speech communities.

It is in recognition of this fact that this paper focuses on the characteristic way of counting in 'base five'; as well as the phonological processes of consonant deletion and vowel elision that are involved in the derivation of compound numerals in Bàtònū.

1.1 History of Numerals

In his treatment of the history of numerals, Spencer (1976:4) reports that,

"Primitive tribes were able to keep count of sheep and other items by using sticks, stones, fingers, notches in wood, and knots in a string:.

Each language has words that are used for counting. Such number words can be written down in the same way as other words in a language. In his discussion of the history of numerals, Girling (1958:69-70) makes the assumption that, "Counting is nearly as old as speech and numerals are as old as writing".

The fact that every speech community has its own number words, in which numerals are written, is confirmed by Mitchell (1976:31) when he presents examples from six European languages to illustrate how numerals are written in number words. The examples are repeated here as (A):

Al

A)	ENGLISH	FRENCH	TITALIAN	GERMAN	DUTCH	SPANISH -
1	One	Un	Uno	Ein	Een	Uno
2.	Two	Deux	Due	Zwei	Twee	Dos
3.	Three	Trois	Tre	Drei Trans	Drie	Tres
4.	Four	Ouatre'	Quattro	Vier	Vier	Cuatro
5.	Five	Cing	Cinque	Funf	Vijf	Cinco
6.	Six	Six	Sei	Sechs	Zes	Seis
7	Seven	Sept	Sette	Sieben	Zeven	Siete
8.	Eight	Huit	One	Acht	Acht	Ocho
9.	Nine	Neuf	Nove	Neun	Negen	Nueve
10.	Ten	Dix	Dieci	Zehn	Tien	Diez

It is not only in the European languages that number words are used; they are also found in all other human languages, as we can find in (B) below:

B)

	HAUSA	IGBO ¹	YORUBA
1.	ɗaya	otu (òfu)	méní (ení)
2.	biyu	àbụã	méji (èji)
3.	ukù	àto (ito; eto)	méta (èta)
4.	hudu	ànộ (ino; ệnọ)	mérin (èrin)
5.	biyar	ise (iso)	márún-ún(àrún)
6.	shidà	isii	méfa (èfa)
7.	bakwàii	asaà(isaà; èsaà)	méje (èje)
8.	takwàs	àsato(isato; èsatō)	méjo (èjo)
9.	tarà	iteghete(itenaāni; itoolū)	mésàn-án(èsán)
10.	gomà	ĭri (îli)	méwàá (èwá)

1.2 On the Concept of Number Base

The Oxford English Dictionary (O.E.D.), Vol. VII, (1933:102) defines a 'radix' or 'base' as, "a number or symbol which is made the basis of a scale of numeration", or "an original word or form from which other words are derived".

In the early stages of development, according to Spencer (1976), the counting process became systematized when it was necessary to make more extensive counts. This was done by arranging the numbers into convenient basic groups. Thus the introduction of number bases. Spencer (1976: 42) further claims that

"Today some South American tribes count by hands, base 5. The base 12 was used in prehistoric times, chiefly in relation to measurements. The American Indian and Mayan tribes used a base 20 number system. The ancient Babylonians used a number system based on 60. This system is still used when measuring time and angles in minutes and seconds. A base, then, is the number of distinct digits required by a system of numeric notation".

Among the popular types of number bases, Girling (1958:70) recognizes the following:

- 1) (i) the binary (base two)
 - (ii) the quaternary (base four)
 - (iii) the quinary (base five)
 - (iv) the denary (base ten)
 - (v) the vigesimal (base twenty)

The decimal system of Arabic numerals (i.e. base 10) that we are most familiar with, was said to have been introduced into Europe by Adelard of Bath in about 110 AD, and by 1600 AD was in almost universal use (See Mitchell (1976:31)).

1.3 The Traditional System of Counting in Bàtônű

Unlike in the popular decimal system of Arabic numerals, Bàtònū uses base five (i.e. the quinary) or a multiple of five as the basis upon which both cardinal and ordinal numerals are derived. For instance, the numerals 'six' through 'nine' are derived based on five plus one through four, while 'ten' is regarded as a new unit (i.e. a multiple of five). In other words, the traditional system of counting in Bàtònū requires that base five or a multiple of five serves as the basis through which all other numerals are derived.

The traditional system of counting in the language, as it affects both cardinal and ordinal numerals, can be exemplified as in (2) and (3) respectively:

(2) Cardinal Numerals

- 1. One = tia^2
- 2. Two = irū
- 3. Three = itā
- 4. Four = $n\bar{\epsilon}$
- 5. Five = $n\bar{5}\bar{5}b\hat{u}$
- 6. /nɔɔ̄bù # kà # tía/ ----> [nɔ̄ɔ̄bātía]

```
and one
                               Six
       /nɔɔ̄bù # kà # `irū/ ----> [nɔ̄ɔ̄bairū]
7.
              and two
                               seven
       /nɔ̄ɔ̄bù # kà # itā/ ----> [nɔ̄ɔ̄baita]
8.
                               eight
       five and three
       /nɔɔɔbù # kà # nnē/ ----> [nɔɔbannē]
       five and four
                                nine
        Ten = [\bar{5}k\bar{u}r\bar{u}]^3
10.
       /3kūrū # kà # tía/ ----> [5kūrātía]
11.
        ten and one
                              eleven
                             > [5kūrāirū]
        /ākūrū # kà # irū/ -
12
        ten and two
                               twelve
        /5kūrū # kà # itā/ ----> [5kūrāitā]
13
                               thirteen
        ten and three
        /5kūrū # kà # nnē/ ----> [5kūrānnē]
 14.
        ten and four
                                fourteen
 15.
        Fifteen = [5kūrān55bù]
        /ɔkuru # ka # nɔɔbu # ka # tia/ ----> [ɔkuranɔɔbatiá]
 16.
               and five and one
                                             sixteen
 17.
        /5kūrū # kà # nɔɔbù # kà # irū/ ----> [ɔkūrānɔɔbairū]
        ten and five and two
                                            seventeen
        /ɔ̃kūrū # kà # nɔ̃ɔ̄bù # kà # ı̃ta/ ----> [ɔ̃kūrānɔ̃ɔ̄bāı̃tā]
 18.
             and five and three
                                            eighteen
        /ɔkūrū # kà # ɪ̞ɔ̄ɔbù # kà # nnē/ ----> [ɔkūrānɔ̄ɔbānnē]
 19.
        ten and six and four
                                              nineteen
 20.
         Twenty = [Yēndū]
        /Yēndū # kà # tíá/ ----> [Yēndātíá]
 21.
         twenty and one
                            twenty-one
         /Yēndū # kà # irū/ ----> [Yēndāirū]
 2.2
                           i twenty-two
         twenty and two
 23.
         /Yēndū # kà # itā/ ----> [Yēndāitā]
         twenty and three
                            twenty-three
 24.
         /Yēndū # kà # nnē/----> [Yēndānnē]
         twenty and four
                                  twenty-four
         Twenty-five = [Yēndānɔɔbù]
 25.
         /Yēādū # kà # nɔɔɔbù # kà # tía/ ----> [Yēndānɔɔbatía]
 26.
         twenty and five and one
                                              twenty-six
         /Yēndū # kà # nɔɔbù # kà # irū/ ----> [Yēndānɔɔbairū]
 27.
         twenty and five and two
                                              twenty-seven
         /Yēndū # kà # nɔɔbù # kà # itā/ --
                                            > [Yēndānāābāitā]
 28.
         twenty and five and three
                                               twenty-eight
  29.
         /Yēndū # kà # nɔɔbù # kà # nnē/ ----> [Yēndānɔɔbānnē]
         twenty and five and four
                                               twenty-nine
  30.
         Thirty = [tena]
         Thirty-five = [tenānoobu]
  35.
  40.
          Forty = [wèērū]
          Forty-five = [weeranoobu]
  45.
          Fifty = [wcera5kūrū/wcerakūrū]
  50.
          Fifty-five = [wècrākūrū kà nɔɔbù]
  55.
          Sixty = [wata]
  60.
          Sixty-five = [wàtānɔ̃ɔ̈bū]
  65.
          Seventy = [wàtāòkūrū/wàtākūrū]
  70.
          Seventy-five = [wàtākūrū kà nɔɔ̄bù]
  75.
  80.
          Eighty = [wènē]
          Eighty-five = [wenanoobu]
  85.
          Ninety = [wenaokuru/wenakuru]
  90.
  95.
          Ninety-five = [wenakuru ka noobu]
          One hundred = [wùnɔ̃bù]
```

Ordinal Numerals

'Tenth'

					A. F. Co.
(i)	(i)	gbîikirü			'First'
	(ii)	/yirū + sèé/	>	[yirūsèé]	'Second'
	(iii)	/itā + sèć/	****>	[itāsèć]	'Third'
	(iv)	/hnē + sèé/	~~~>	[nnēsèé]	'Fourth'
	(v)	/nɔ̃ɔ̃bù + sèé/	>	[nɔ̃ɔ̃bùsèé]	'Fifth'
	(vi)	/noobaña + sèé/	>		'Sixth'
	(vii)	/nōōbāirū + sèé/	>	[nɔɔ̃baĭrūsèé]	'Seventh'
	(viii)	/noobaita + sèé/	>	[nōōbātiásèé]	'Eighth'
	(ix)	/noobanne + sèé/		[nɔ̃ɔ̃bānnɛ̃sèé]	'Ninth'
	(x)	/ðkūrū + sèé/		[5kūrūsèé]	'Tenth'

As we see from (3 i-x) above, apart from the first ordinal number gbîikiru, other ordinal numerals in Bathnu are formed by adding the positional suffix morpheme see, which represents the English equivalent of '-nd', as in 2nd, '-rd' as in 3rd, and '-th' as in 4th, to each of the cardinal numerals in (2) above.

----> [5kūrūsèé]

2. The Phonological Processes Involved in the Derivation of Numerals in Bàtònu

As has been rightly described by Chumbow (1982) and Togun (1982), the derivation of both cardinal and ordinal numerals in Bàthnū, as evident in (2) and (3) respectively, involves two phonological processes of consonant deletion and vowel elision.

The language uses five or a multiple of five as a base to which simple numerals are added to derive a compound numeral. In this process, an addition marker kà meaning 'and' in Bàtònū is used as an arithmetic operator to add any number to the number base.

The two phonological processes must apply before a correct output of a compound numeral is derived in the language.

In the case of consonant deletion, it is the initial consonant of the addition marker kà (i.e. 'k') that is always deleted; while the case of vowel elision involves the last vowel of the 'number word' for five or any multiple of five that is involved in the derivation.

Chumbow (1982:2-4) formulates two phonological rules to account for the two phonological processes. The two rules (R_1) and (R_2) are repeated here as (4) and (5)respectively:

Consonant Deletion

Prose statement: A word initial (non nasal) consonant is deleted when preceded by a vowel.4

In order to derive the correct output of a compound numeral, a rule of vowel elision (R2) applies to the output of (R1).

Vowel Elision

A rule of vowel elision applies to the last vowel of a number base adjacent to the vowel of the addition marker kà whose initial consonant 'k' has already been deleted by (R1). The required vowel elision rule, as formulated by Chumbow (1982), is stated in (5) below:

(5)
$$R_2 \quad V ----> \emptyset \quad / ---- \# V.$$

Prose statement: The last vowel of a preceding word (i.e. a number base) is elided as the word boundary when it is contiguous with the vowel of the following word.

As evident in (2) and (3), a sample derivation can be used to illustrate the application of the two rules as in (6):

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(7)

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(8)

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(6)	Five and two.	Ten and three
Consonant Deletion (R ₁): Vowel Elision (R ₂): Output:	nōōbù # kà # irū. nōōbù # à # irū. nōōb # à # irū. nōōbāirū	ākūrū # kà # itā. ākūrū # a # itā. akur # a # itā. akur # a # itā. [ākūraitā]

3. The Use of Numerals as Qualifiers in Bàtònū

Syntactically, nouns in Bàtònū exhibit a post-modification in their occurrence with numeral qualifiers (see Sanusi (1983)). The use of cardinal and ordinal numerals as qualifiers in Bàtònū could be exemplified as in (7) and (8) respectively:

(7) (i)	nāā tía	'One/ a cow'.
(ii)	nēē irū	'Two cows'.
(iii)	nēē itā	'Three cows'.
(iv)	nēē nnē	'Four cows'.
(v)	กัยิธิ กริรัชน์	'Five cows', etc.

The cardinal numerals in (7) are used to indicate the exact quantity or number of nouns they co-occur with. Ordinal numerals are used to indicate the exact position where something occurs in a series. The examples in (8) illustrate the use of ordinal numerals as qualifiers in Bàtônū.

(8) (i)	1	
	bōō gbîiká (o)	The first goat'.
(ii)	bōō ìrūsèé	'The second goat'.
(iii)	böö itasèé	The third goat'.
(iv)	bõõ nnēsèé	The fourth goat'.
(v)	bōō nōōbùsèé	The fifth goat, etc.

4. On the Simplicity of Derivation of Numerals in Bàtônū

If simplicity of structure, rather than complexity, could be assumed to aid any form of learning, we consider the simple number base as well as the simple method of deriving compound numerals in Bàtònū an advantage for learners.

A comparison between the traditional systems of counting in a neighbouring language like Yorùbá 'and Bàtònū will reveal the simplicity and the ease with which numerals are derived in Bàtònū. For instance, in his discussion of the numerals in Yorùbá, Awobuluyi (1994:33) shows the complexity involved in deriving numerals in the language as follows:

"Most of the numerals in the language are derived, and they are derived in an often very cumbersome and complicated manner involving multiplication, addition, and subtraction. Thus, in traditional Yoruba counting, seventy-one, for instance, is Okanleniaadorin lit. 'one plus four twenties minus te \Im ', i.e., $1 + [(20 \times 4) - 10]$ ".

In other words, while three arithmetic operations- addition, multiplication, and subtraction are involved in the derivation of a number like seventy-one, as rightly observed by Awobuluyi (1994), only a single operation (i.e. addition) is required to derive the same number in Bàtònū. The addition marker in Bàtònū -- kà is used to derive seventy-one as in (9) below.

```
(9) /wàtā # kà # ōkūrū # kà # tíá/ ---> [wàtāōkūrū kà tíá] sixty and ten and one seventy and one (i.e. 70 + 1 = 71)
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It has been observed that, unlike in Yoruba, Bàthiū does not use more than two arithmetic operators in the derivation of a particular number. Even in some cases where the language considers a process of addition to be cumbersome, it uses subtraction as an alternative approach. For instance, instead of deriving 'twenty-six' through the process of addition, as in (10), the language may as well prefer a simpler method in (11), in which 'four' is subtracted from thirty (the next number base).

y),

/Yēndū # ka # nööbù # ka # tíá/ ---> [Yēndānö3bātiá]. (10)Twenty and five and one twenty-six

Twenty-six = [tènā saril (11) (i) nnē minus (i.e. 30 - 4 = 26) thirty four

In a like manner, twenty-seven, twenty-eight, and twenty-nine are derived as follows:

(iv) Twenty-nine =
$$\begin{bmatrix} t \hat{e} n \hat{u} & t \hat{i} \hat{a} & s \hat{a} \hat{r} \end{bmatrix}$$

thirty one minus (i.e. $30 - 1 = 29$)

In other words, the language considers the process of subtraction in (11) to be much easier than the process of addition in (10). This further confirms the simplicity in the derivation of numerals in Bàtònū.

Conclusion

The significance of traditional numerals within the linguistic and pedagogical development of a language calls for the need in this paper to briefly discuss the universality of the use of 'number words' as manifested in the counting systems among human languages (both written and unwritten).

Having reviewed the history of numerals, the paper examines the concept of 'number base' and uses its practical application to explain the phenomenon of 'base five' or a multiple of five in the traditional system of counting in Bàtònū, as it affects both cardinal and ordinal numerals. The use of both cardinal and ordinal numerals as qualifiers in the language is also exemplified.

With the aid of the two phonological processes of consonant deletion and vowel elision, as described by Chumbow (1982), as well as the use of an addition marker kà, the paper illustrates how compound numerals are derived in Bàtònū.

Finally, based on the use of simple numeral base (i.e. base five) and the simple way in which compound numerals are derived in Bàtònū, we are of the view that potential learners of Bàthnū, as a first or second language, will face little or no problem in learning the traditional numerals in the language.

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Notes

*The significance of traditional numerals within the linguistic and pedagogical development of a language, as expressed by Awobuluyi (1994:33), sensitized the author into writing this paper. I thank Professor Oladele Awobuluyi for making his paper available for my use. I am solely responsible for any errors and infelicities of style.

1. Source: The lgbo number words are adapted from Emenanjo (1978:54).

Tone Marking:

Igbo:

High tone:

unmarked.

Downstep Low tone:

Hausa:

High tone:

unmarked

Low tone:

Yornbá-

High tone:

Mid tone: Low tone: unmarked

2. It should be noted that Bàtònū has not been officially reduced into writing. Published materials in the language are written with the J.P.A. symbols, as in Welmers (1952). Tone marking in the language is

High tone:

Mid tone:

Low tone:

3. 5kūrū 'ten' is regarded as a new unit and not derived. Thus, a derivation like,

/nāōbù # kà # nāōbù/ ---> *[nōōbānōōbù] and five five

is not attested in the language.

4. (R1) is independently motivated in the language whenever the use of addition marker is required to derive a compound numeral. However, an informant hinted that when counting from thirty-five and above, the application of (R1) becomes optional, hence the addition marker within a derivation could be realized as an autonomous word. For example,

Thirty-five = [tenā kà nɔɔbu] thirty and five Forty-five = |wèērū kà nōābù| forty and five etc.

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